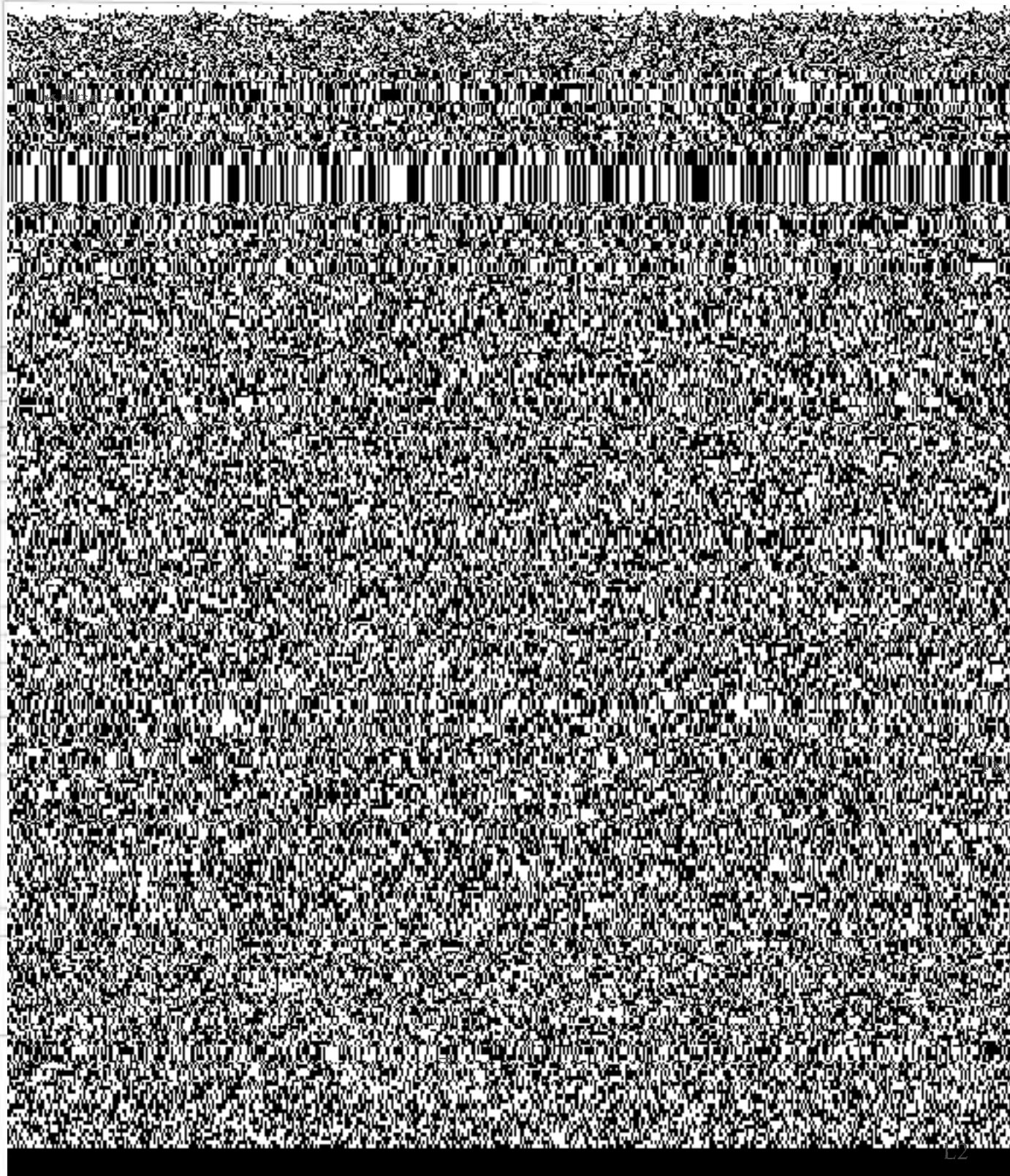




	OR			
5	a) Expand $f(z) = \frac{7z-2}{(z+1)z(z-2)}$ about the point $z = -1$ in the region $1 < z+1 < 3$ as Laurent's series. b) Expand $f(z) = \frac{1}{z^2-3z+2}$ in the region (i) $0 < z-1 < 1$ (ii) $1 < z < 2$	5M 5M	2	L2
6	a) Evaluate $\oint \frac{4-3z}{z(z-1)(z-2)} dz$ where c is the circle $ z = \frac{3}{2}$ using Residue theorem b) Find the poles of $f(z)$ and the residues of the poles which lie on imaginary axis if $f(z) = \frac{z^2+2z}{(z+1)^2(z^2+4)}$	5M 5M	3	L2 L1
	OR			
7	a) Evaluate $\int \frac{2e^z}{z(z-3)} dz$ along a curve $c: z =2$ by residue theorem. b) Evaluate $\int \frac{z^2+2z-2}{z(z-4)(z-1)} dz$, along the curve c is $ z =1.5$.	5M 5M	3	L3 L3
8	a) A vector field is given by $\vec{F} = (x^2-y^2-x)\hat{i} + (2xy+y)\hat{j}$ Show that the field is irrotational and find its Scalar potential b) Prove that $\text{div curl } \vec{f} = 0$	5M 5M	4	L1 L2
	OR			
9	a) Show that $\nabla^2[f(r)] = f''(r) + \frac{2}{r} f'(r)$ b) Find constants a, b, c so that the vector $A = (x+2y+az)\hat{i} + (bx-3y-z)\hat{j} + (4x+cy+2z)\hat{k}$ is irrotational. Also find ϕ such that $A = \nabla\phi$.	5M 5M	4	L2 L1
10	a) Evaluate the line integral $\int_C (x^2+xy) dx + (x^2+y^2) dy$, where C is the square formed by the lines $x = 1, -1$ and $y = 1, -1$ b) Find $\int_C \vec{F} \cdot d\vec{r}$, If $\vec{F} = xy\vec{i} - z\vec{j} + x^2\vec{k}$ and C is the curve $x = t^2, y = 2t, z = t^3$ where $t=0$ to 1	5M 5M	5	L3 L1
	OR			
11	Verify Stokes theorem for $\vec{f} = (x^2+y^2)\hat{i} - 2xy\hat{j}$ taken around the rectangle bounded by the lines $x = -a, x = a, y = 0, y = b$.	10M	5	L2