



B.Tech IV Semester Supplementary Examinations, December 2024

PROBABILITY THEORY AND STOCHASTIC PROCESSES
(Electronics & Communication Engineering)

Maximum Marks: 70

Date: 03.12.2024

Duration: 3 hours

- Note:**
1. This question paper contains two parts A and B.
 2. Part A is compulsory which carries 20 marks. Answer all questions in Part A.
 3. Part B consists of 5 Units. Answer any one full question from each unit which carries 10M.
 4. Each question carries 10 marks and may have a, b, c, d as sub questions.

Part-A

All the following questions carry equal marks (10X2M=20) Marks		CO	Bloom Tx
1	What is the condition for a function to be a random variable?	1	L1
2	Clearly explain about certainty and uncertainty with suitable example.	1	L1
3	Define Gaussian random variable.	2	L1
4	Write two properties of joint distribution function of random variables?	2	L1
5	Define covariance function.	3	L1
6	Auto correlation function of a stationary random process is $R_{xx}(t) = 25 + (4/1 + 6t^2)$ Find its variance.	3	L1
7	Explain about stationary process.	4	L1
8	Write short notes on wide sense stationary random process.	4	L1
9	Write the expression for power spectral density.	5	L1
10	State Wiener-Khintchine relation.	5	L1

Part-B

Answer All the following questions. (5X10M=50Marks)		CO	Bloom Tx
11	A) State and prove total probability' theorem. [6M] B) Coin A has a probability of head =1/4 and coin B is a fair coin. Each coin is flipped four times. If X is the number of heads resulting from coin and Y denotes the same from coin B, what is the probability for X=Y? [4M]	1	L2
OR			
12	A) State and prove Total probability Theorem [5M] B) Define the term independent events. State the conditions for Independence of [5M] <ol style="list-style-type: none"> i) any two events A and B ii) Anythree events A,B and C 	1	L2
13	A) A random variable X uniformly distributed in the interval $(0, \pi/2)$. Consider the transformation $Y = \sin x$, obtain the pdf of Y. [5M]	2	L2

	B) Find the value of the constant k so that $f_X(x) = \begin{cases} Kx^2(1-x^3) & \text{for } 0 < x < 1 \\ 0 & \text{elsewhere} \end{cases}$	[5M]		
	OR			
14	A) Prove that the variance of weighted sum of N random variables equals the weighted sum of all their covariances. [5M] B) For the uniformly distributed Random Variable X, Determine [5M] i) Moment generating function ii) Mean and Variance		2	L2
15	A) Define and explain joint density function of two random variables X and Y [5M] B) State properties of joint probability distribution function [5M]		3	L2
	OR			
16	If Independent Random Variables X and Y both of zero mean, have variance 20 and 8 respectively, find the correlation coefficient between the random Variables X+Y and X-Y. [10M]		3	L2
17	Define the terms: (i) Random process. (ii) Stationary random process. (iii) Wide sense stationary random process. (iv) Ergodic random process. [10M]		4	L2
	OR			
18	A) What is the probability distribution function of the sum of two random variables [4M] B) Give the classification of random processes [6M]		4	L2
19	A) Compare and contrast Auto and cross correlations [5M] B) Derive the relationship between cross-power spectrum and cross-correlation function. [5M]		5	L2
	OR			
20	Explain about cross power spectrum density and its properties with proofs. [10M]		5	L2