



**B.Tech II Year I Semester Supplementary Examinations, March/April 2023**  
**Signals and Stochastic Process**

**ECE**

**Maximum Marks: 70**

**Date:04.04.2023 Duration: 3 hours**

- Note:
1. This question paper contains two parts A and B.
  2. Part A is compulsory which carries 20 marks. Answer all questions in Part A.
  3. Part B consists of 5 Units. Answer any one full question from each unit.
  4. Each question carries 10 marks and may have a, b, c, d as sub questions.

**Part-A**

All the following questions carry equal marks

(10x2M=20 Marks)

- 1 Define unit impulse function.
- 2 Define signal bandwidth and system bandwidth
- 3 What is half wave symmetry?
- 4 State the conditions for the existence of Fourier Transform.
- 5 Find laplace transform of  $e^{-at}u(t)$ .
- 6 Find z- transform and ROC of  $x[n]=a^n u(-n-1)$ .
- 7 Give an example of a deterministic random process.
- 8 Write short notes on Gaussian random process.
- 9 Write the expression for power spectral density.
- 10 The output of a filter is given by  $Y(t)=X(t+T)+X(t-T)$ , where  $X(t)$  is a WSS process, power spectral density  $S_{xx}(w)$ , and  $T$  is a constant. Find the power spectrum of  $Y(t)$ .

**Part-B**

Answer All the following questions.

(10M X 5=50Marks)

- 11 Define orthogonal signal space and orthogonal vector space. Bring out clearly its applications in representing a signal and vector respectively. [10]
- OR
- 12 Show that for linear phase systems, the impulse response is symmetrical about  $t=t_d$ . [10]
  - 13 Expand following function  $f(t)$  by trigonometric Fourier series over the interval (0,1). In this interval  $f(t)$  is expressed as  $f(t) = At$ . [10]
- OR
- 14 State and prove time reversal, time shifting and time scaling properties of Fourier Transform. [10]
  - 15 Prove that  $x(t) = e^{-at}u(t)$  and  $x(t) = -e^{-at}u(-t)$  have the same  $X(S)$  and differ only in ROC. Also plot the ROC. [10]
- OR
- 16 State and prove initial value and final value theorems of Z-Transform. [10]

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17 Show that the random process  $X(t) = A\cos(\omega_0 t + \theta)$  is wide-sense stationary if it is assumed that  $A$  and  $\omega_0$  are constants and  $\theta$  is a uniformly density random variable over the interval  $(0, 2\pi)$ . [10]

OR

18 Define autocorrelation function of a random process. Write its properties and prove any two of them. [10]

19 Explain about cross power spectrum density and its properties with proofs. [10]

OR

20 Derive the relationship between cross-power spectrum and cross correlation function. [10]

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